

# Closure of particle backscattering coefficient in oligotrophic waters

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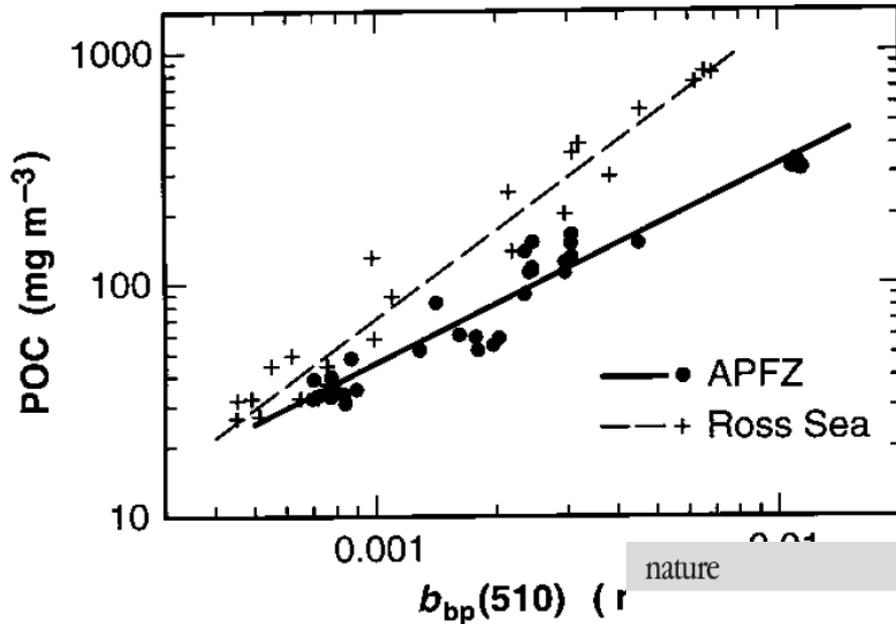
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## Acknowledgements:

NASA, Jim Sullivan, Robert Brewin, Giorgio Dall'Olmo

# particle backscattering coefficient: $b_{bp}$

**Bulk** optical property



$$b_{bp} \rightarrow C_{cc}$$

(Balch et al. 2005, 2010)

nature

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LETTERS

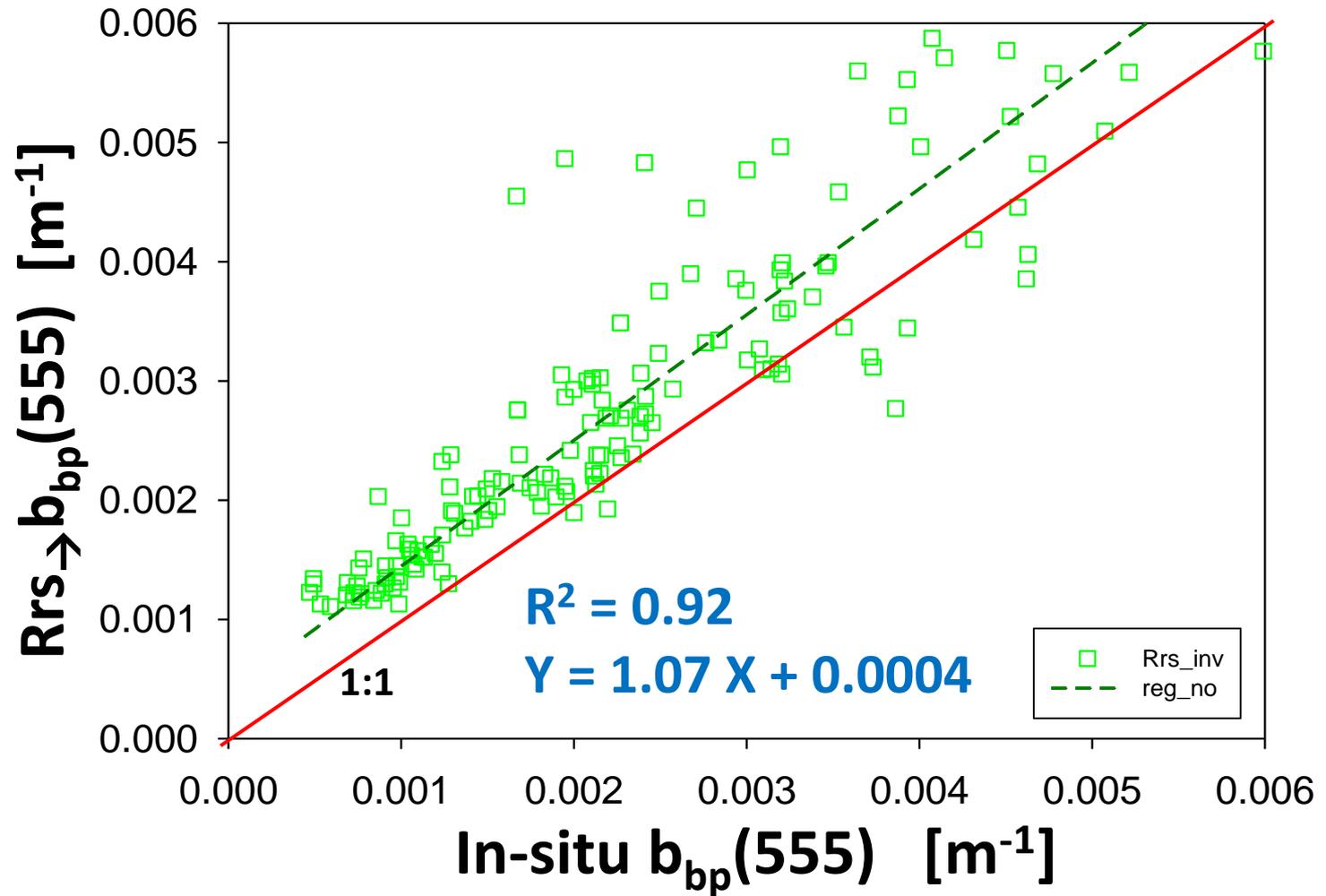
(Behrenfeld et al, Nature, 2006)

(Stramski et al, Science, 1999)

## Climate-driven trends in contemporary ocean productivity

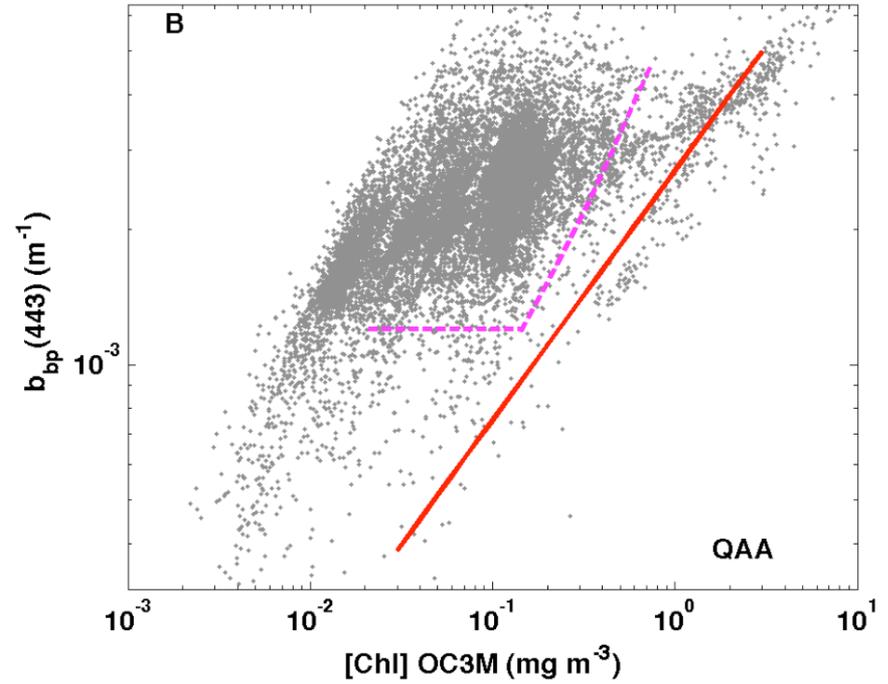
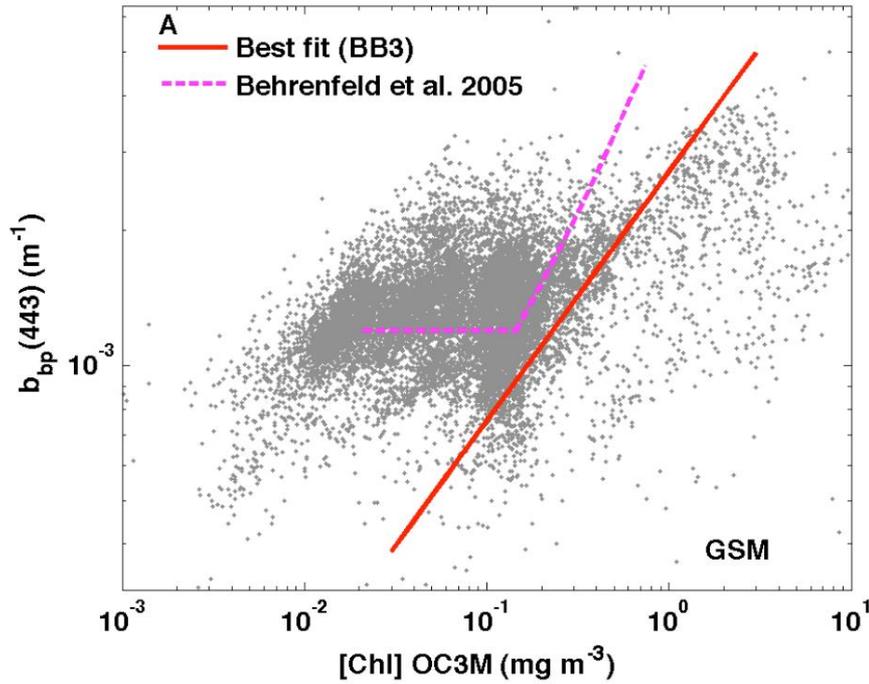
Michael J. Behrenfeld<sup>1</sup>, Robert T. O'Malley<sup>1</sup>, David A. Siegel<sup>3</sup>, Charles R. McClain<sup>4</sup>, Jorge L. Sarmiento<sup>5</sup>, Gene C. Feldman<sup>4</sup>, Allen J. Milligan<sup>1</sup>, Paul G. Falkowski<sup>6</sup>, Ricardo M. Letelier<sup>2</sup> & Emmanuel S. Boss<sup>7</sup>

# NOMAD



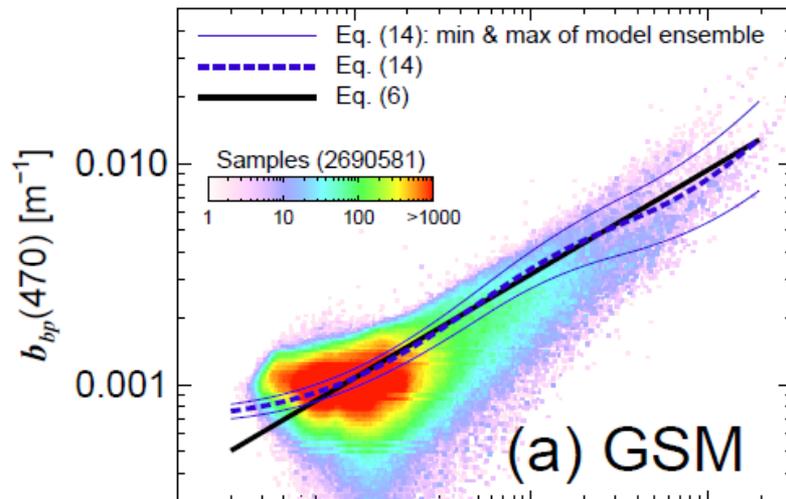
“Excellent” closure ...

# However:

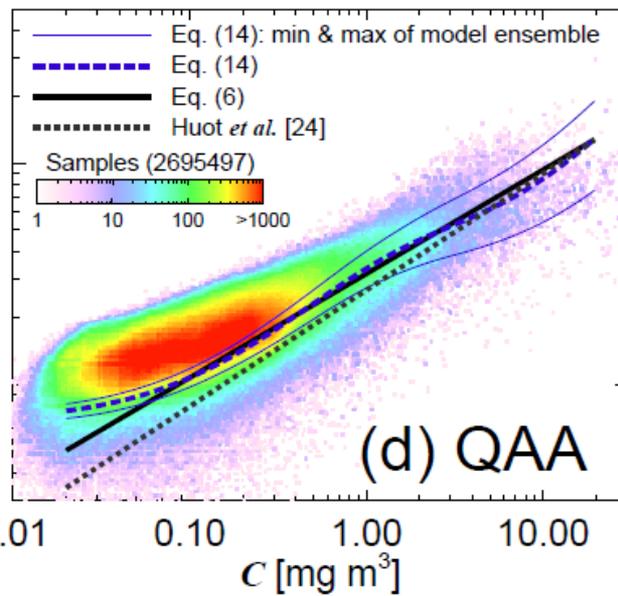
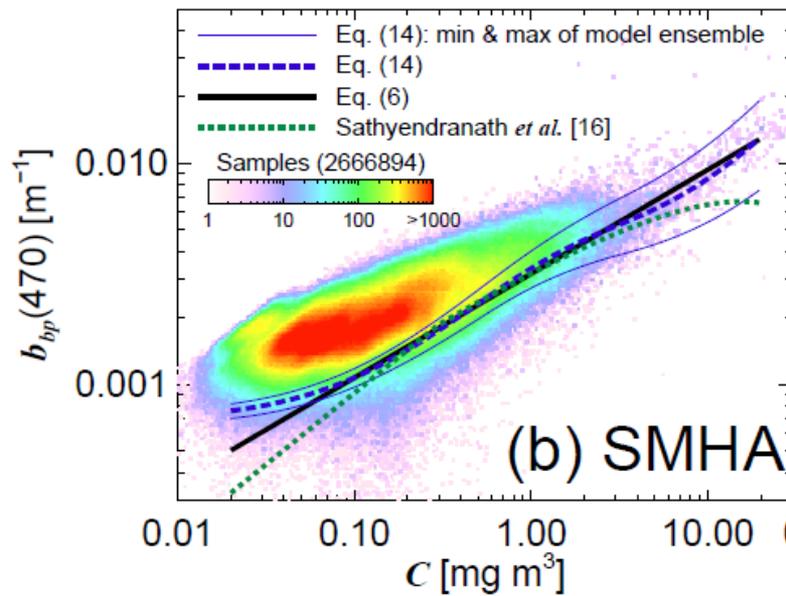
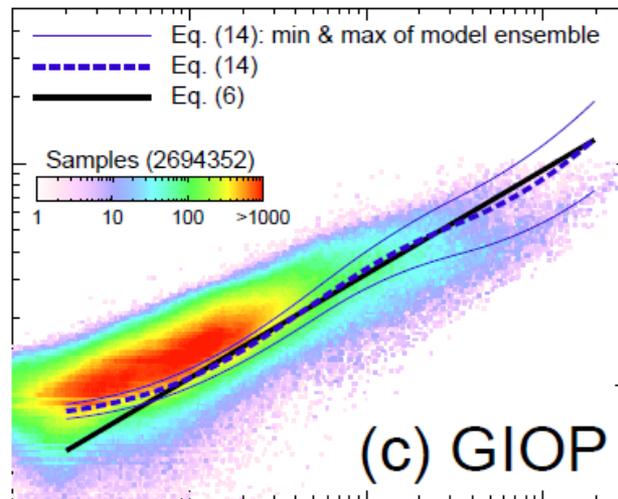


(Huot et al 2008)

Database C



Database C



(Brewin et al 2012)



$R_{rs} \rightarrow b_{bp}$  **much higher than** in-situ  $b_{bp}$

**for oligotrophic waters!**

**No closure** for such 'simple' waters !!

**Chl < 0.1 mg/m<sup>3</sup> makes ~50% of the  
global surface waters**

# Brief review of QAA:

$$R_{rs}(555) \rightarrow b_{bp}(555)$$

Based on:

$$\begin{aligned} R_{rs}(555) &= G(555) \frac{b_b(555)}{a(555) + b_b(555)} \\ &= \left( G_0 + G_1 \frac{b_b(555)}{a(555) + b_b(555)} \right) \frac{b_b(555)}{a(555) + b_b(555)} \end{aligned}$$

$$a(555) = a_w(555) + \Delta a(555) \quad \approx a_w(555)$$

For oligotrophic waters

For Chl = 0.1 mg/m<sup>3</sup>,  $\Delta a(555) \sim 0.002 \text{ m}^{-1}$ , 3% of  $a_w(555)$ .

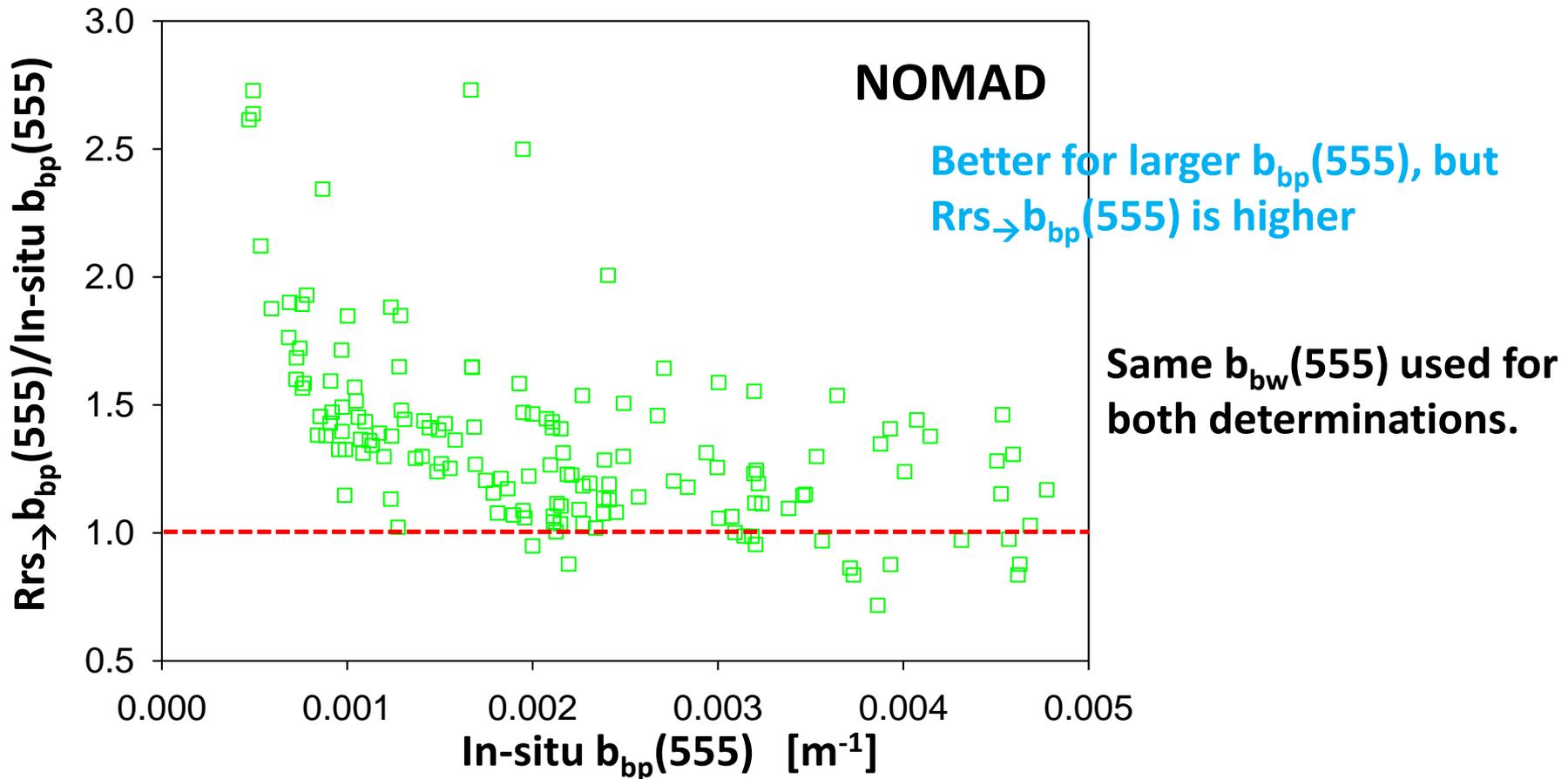
## Potential sources of error from Rrs inversion:

1. Rrs–IOPs relationship
2. Measured Rrs includes Raman scattering contribution
3.  $a(555)$  or  $a_w(555)$  value

# 1. Rrs – IOPs relationship

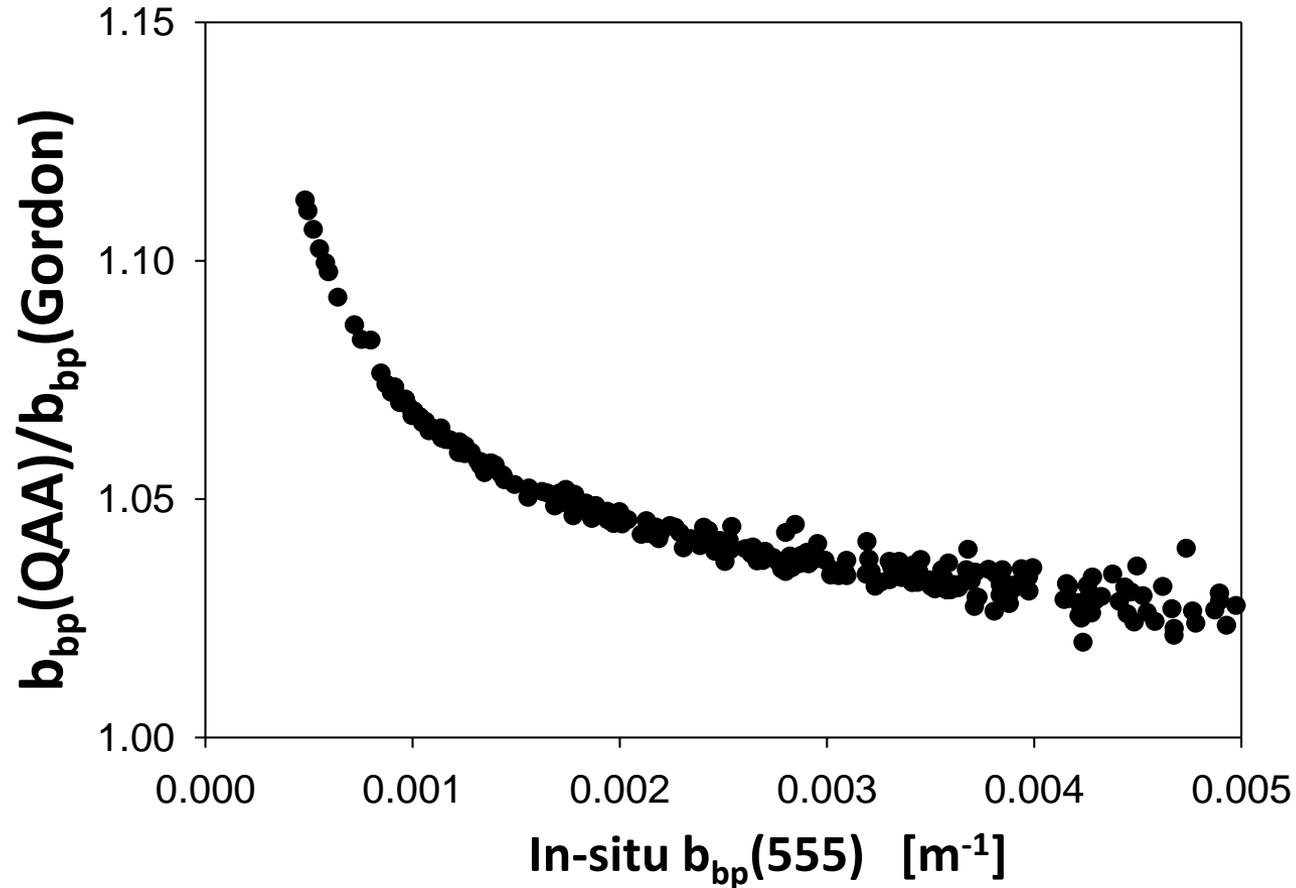
$$R_{rs} = G \frac{b_b}{a + b_b} = \left( G_0 + G_1 \frac{b_b}{a + b_b} \right) \frac{b_b}{a + b_b}$$

is supported by Radiative Transfer Theory (Zaneveld 1995)



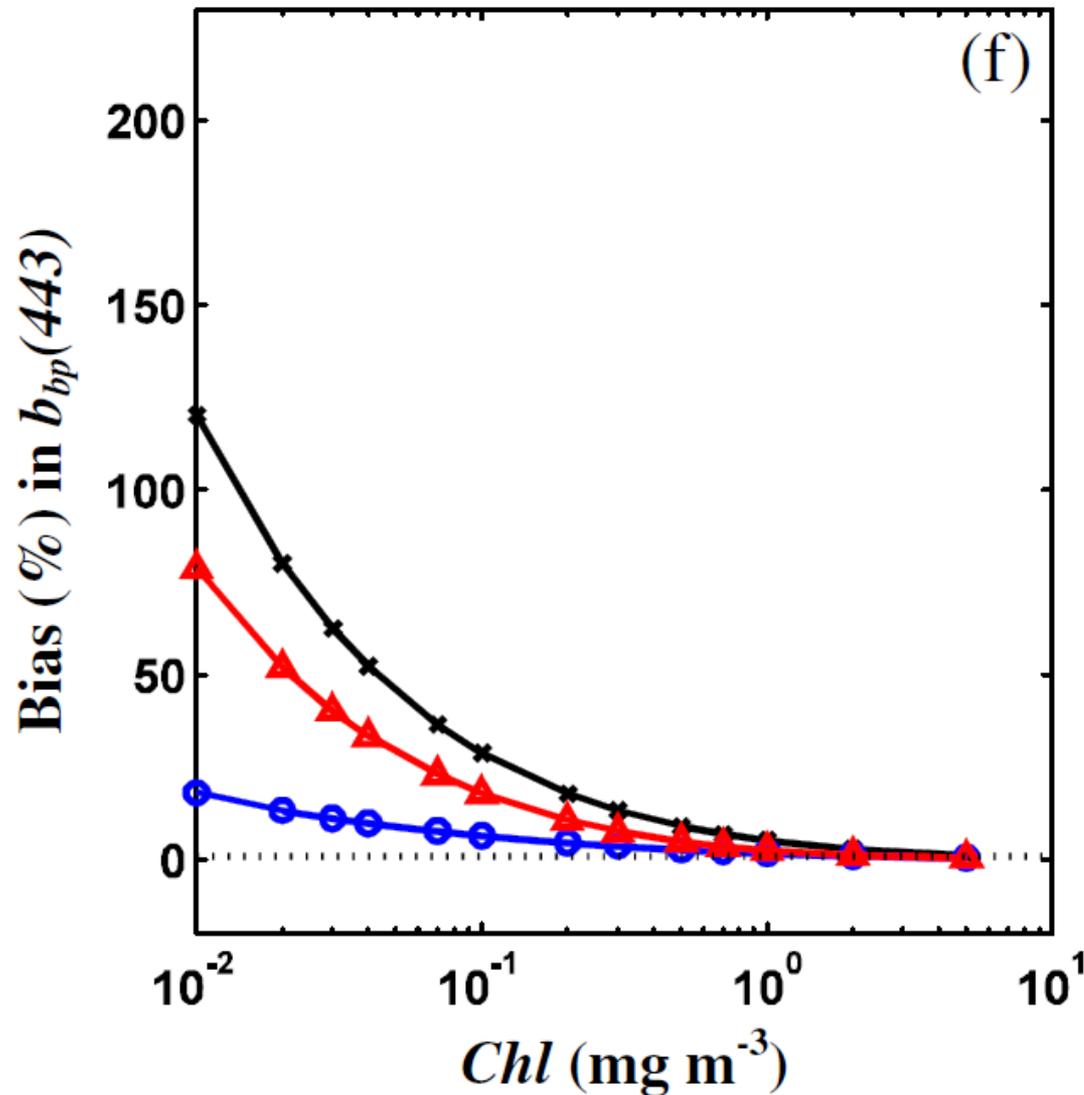
# Impact of Rrs-model parameters

Gordon (0.0949;0.0794) vs QAA (0.09;0.125)



**Not enough to have a factor of 2 impact.**

## 2. Measured Rrs includes Raman scattering contribution



(Westberry et al 2013)

## Empirical Raman correction (Lee et al 2013):

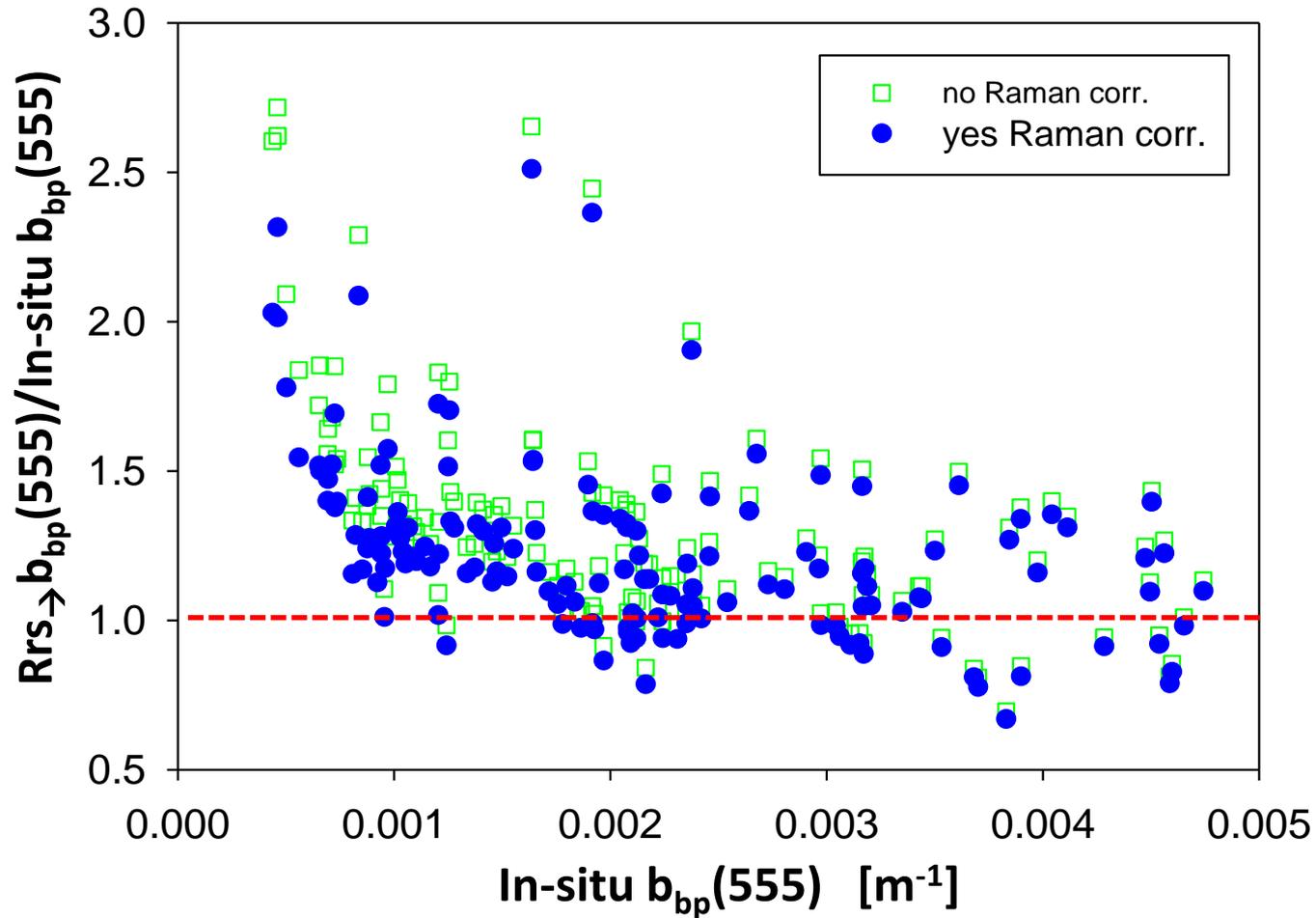
$$R_{rs} = \frac{R_{rs}^T}{1 + RF}$$

$R_{rs}^T$  : Rrs from measurements

### RF: Raman Factor

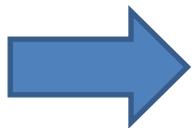
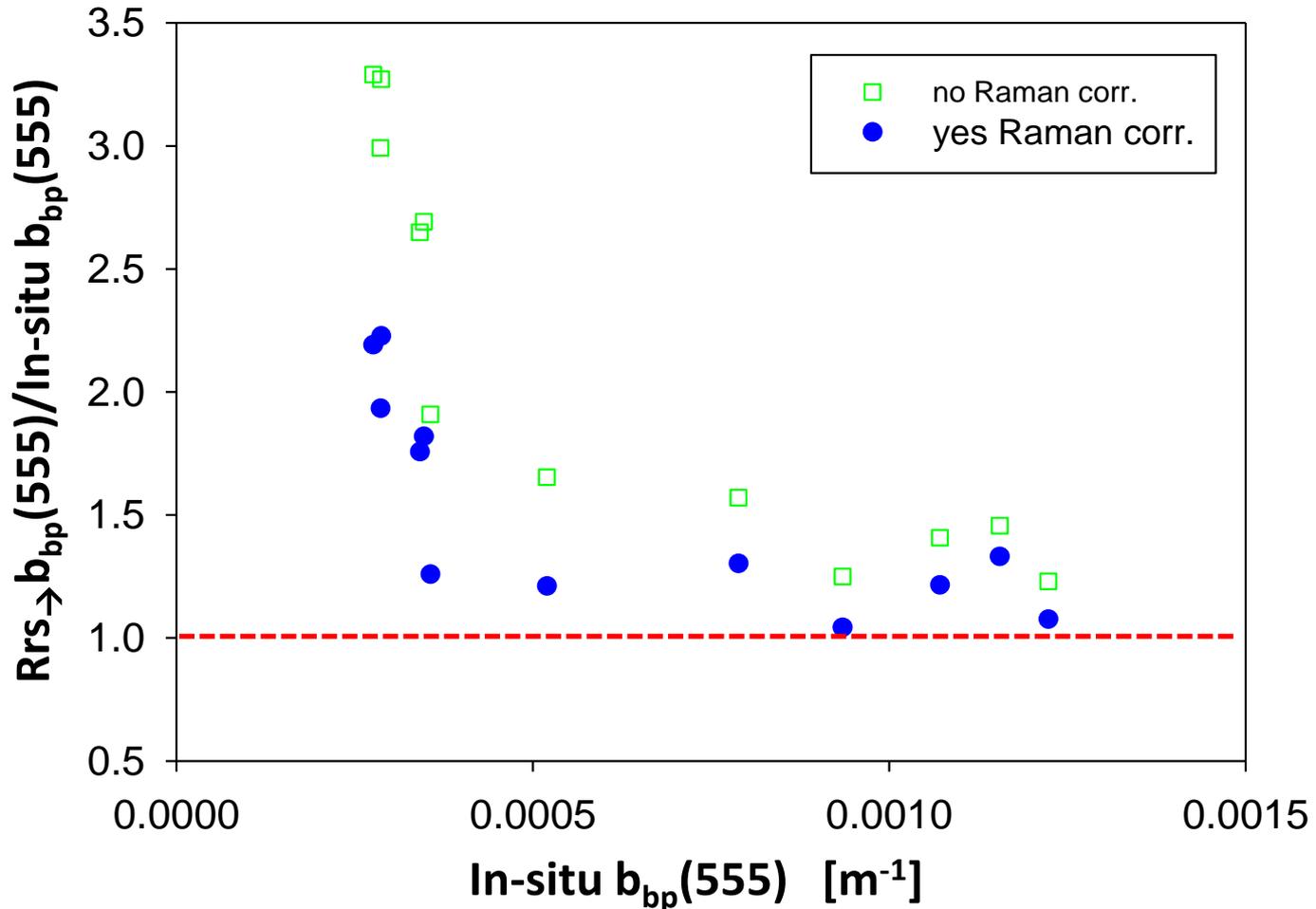
$$RF(\lambda) = \alpha(\lambda) \left( \frac{R_{rs}^T(440)}{R_{rs}^T(550)} \right) + \beta_1(\lambda) \left( R_{rs}^T(550) \right)^{\beta_2(\lambda)}$$

# NOMAD



Yes, remove Raman effect reduces  $b_{bp}$  from Rrs

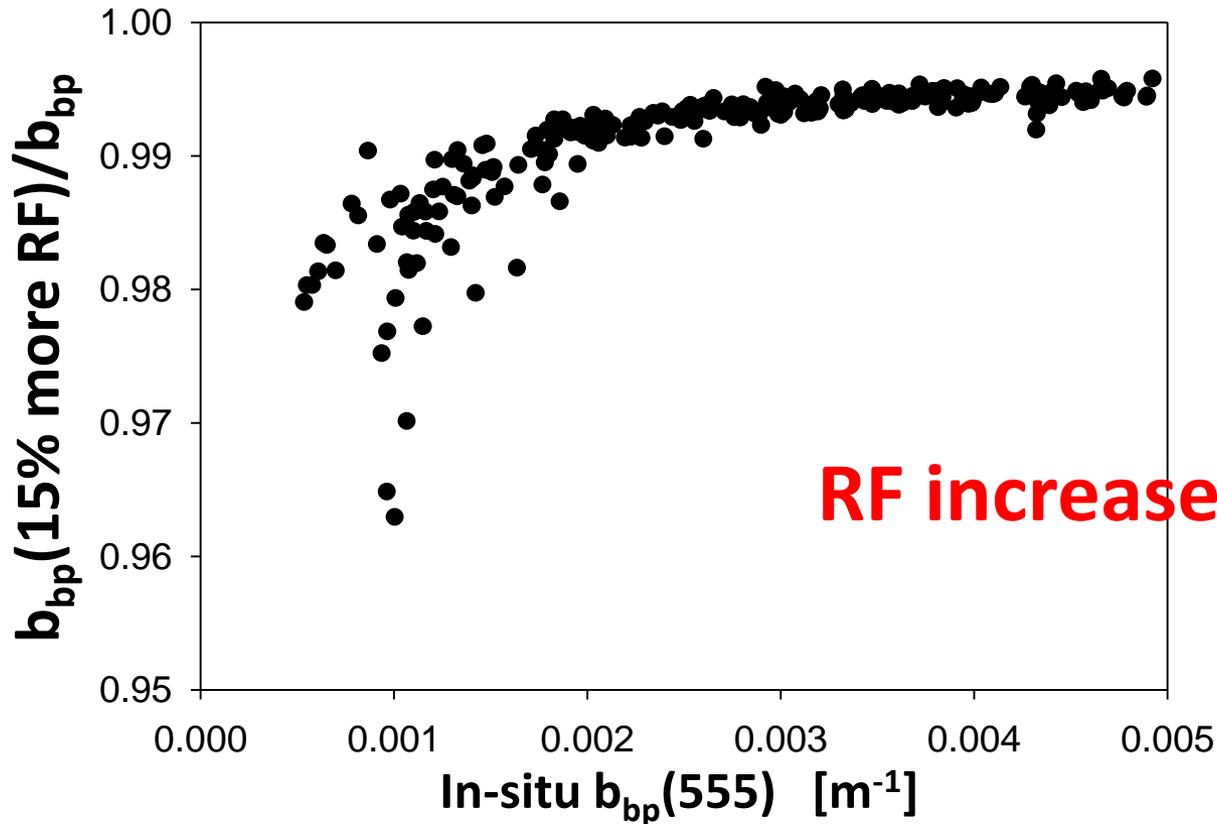
# BIOSOPE data



$R_{rs \rightarrow b_{bp}}(555)$  is still generally much higher than in-situ  $b_{bp}(555)$ , especially for waters with very sparse in particles.

# Imperfect Raman correction?

$$RF(\lambda) = \alpha(\lambda) \left( \frac{R_{rs}^T(440)}{R_{rs}^T(550)} \right) + \beta_1(\lambda) \left( R_{rs}^T(550) \right)^{\beta_2(\lambda)}$$



### 3. $a(555)$ or $a_w(555)$ value

↓  $a_w(555)$  → ↓  $b_{bp}(555)$

| Reference                 | $a_w(555)$    |
|---------------------------|---------------|
| Pope and Fry (1997)       | <b>0.0596</b> |
| Smith and Baker (1981)    | ~0.0673       |
| Tom and Patel (1979)      | ~0.063        |
| Sogandares and Fry (1997) | ~0.072        |
| Buiteveld et al (1994)    | 0.064         |

The smallest value for  $a_w(555)$  was used.

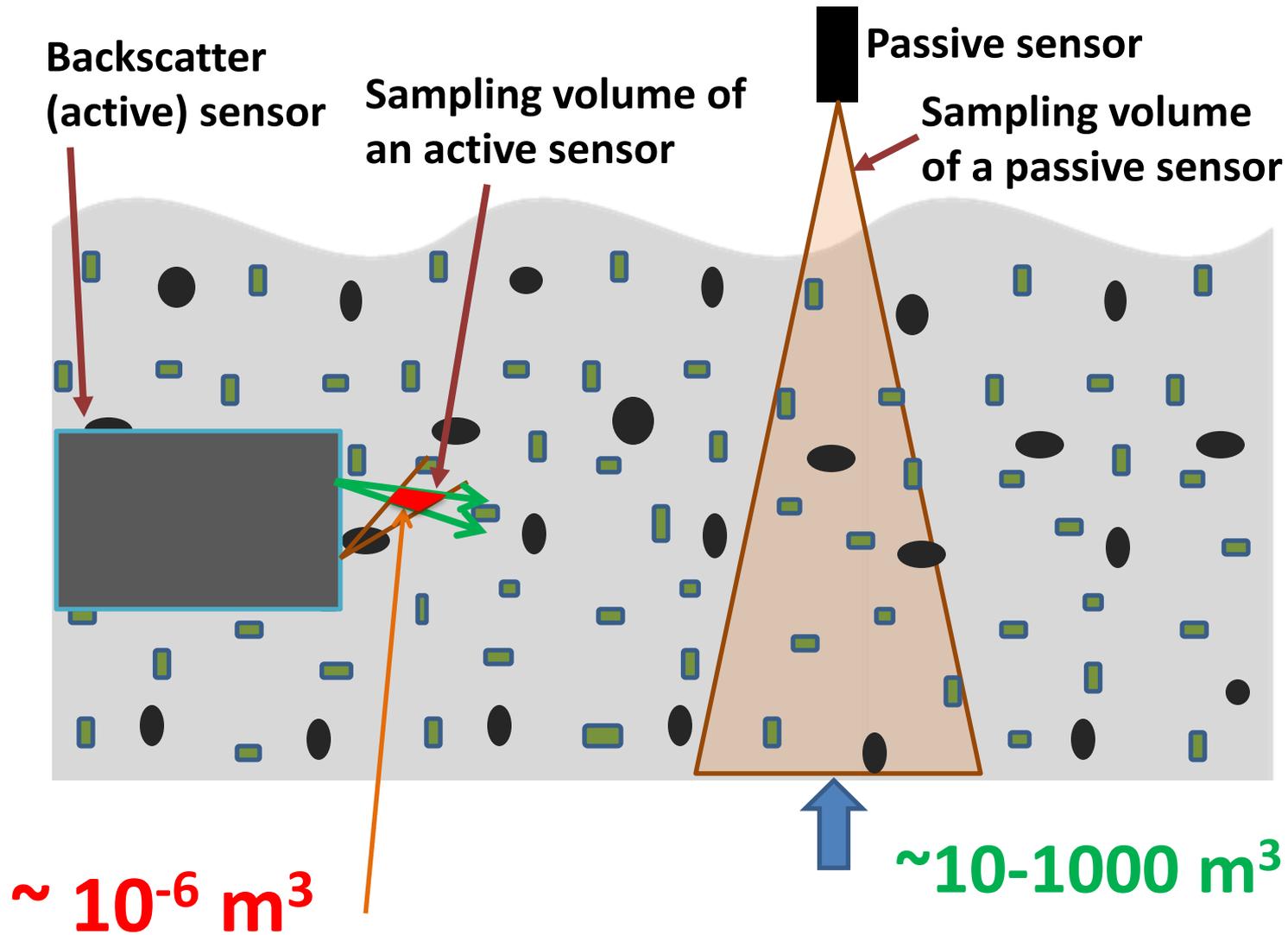
# Potential sources of errors from in situ $b_{bp}$ :

**1. Calibration**

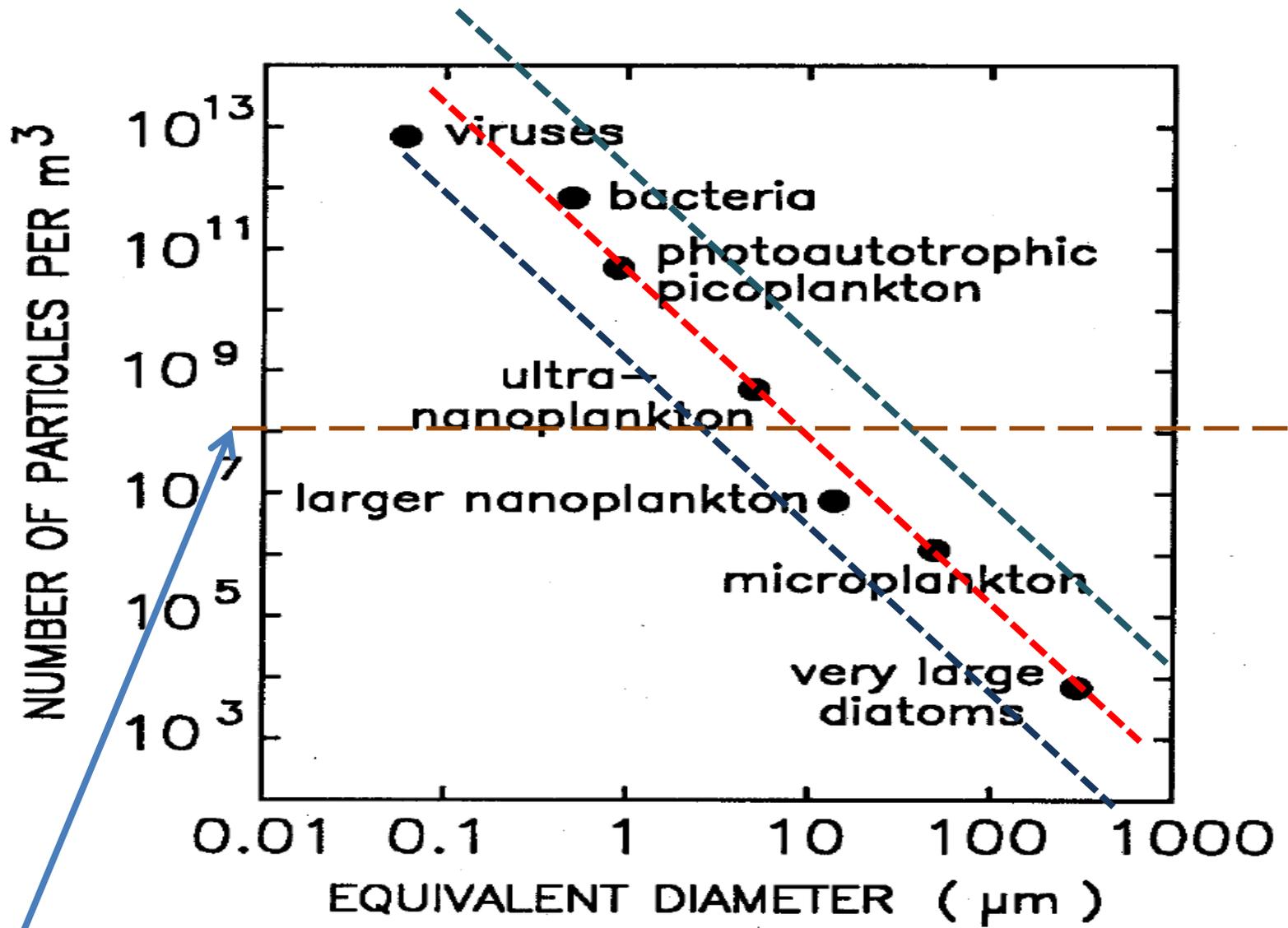
**2. Sampling volume?**

**3. Measurement uncertainty?**

## 2. Sampling volume?

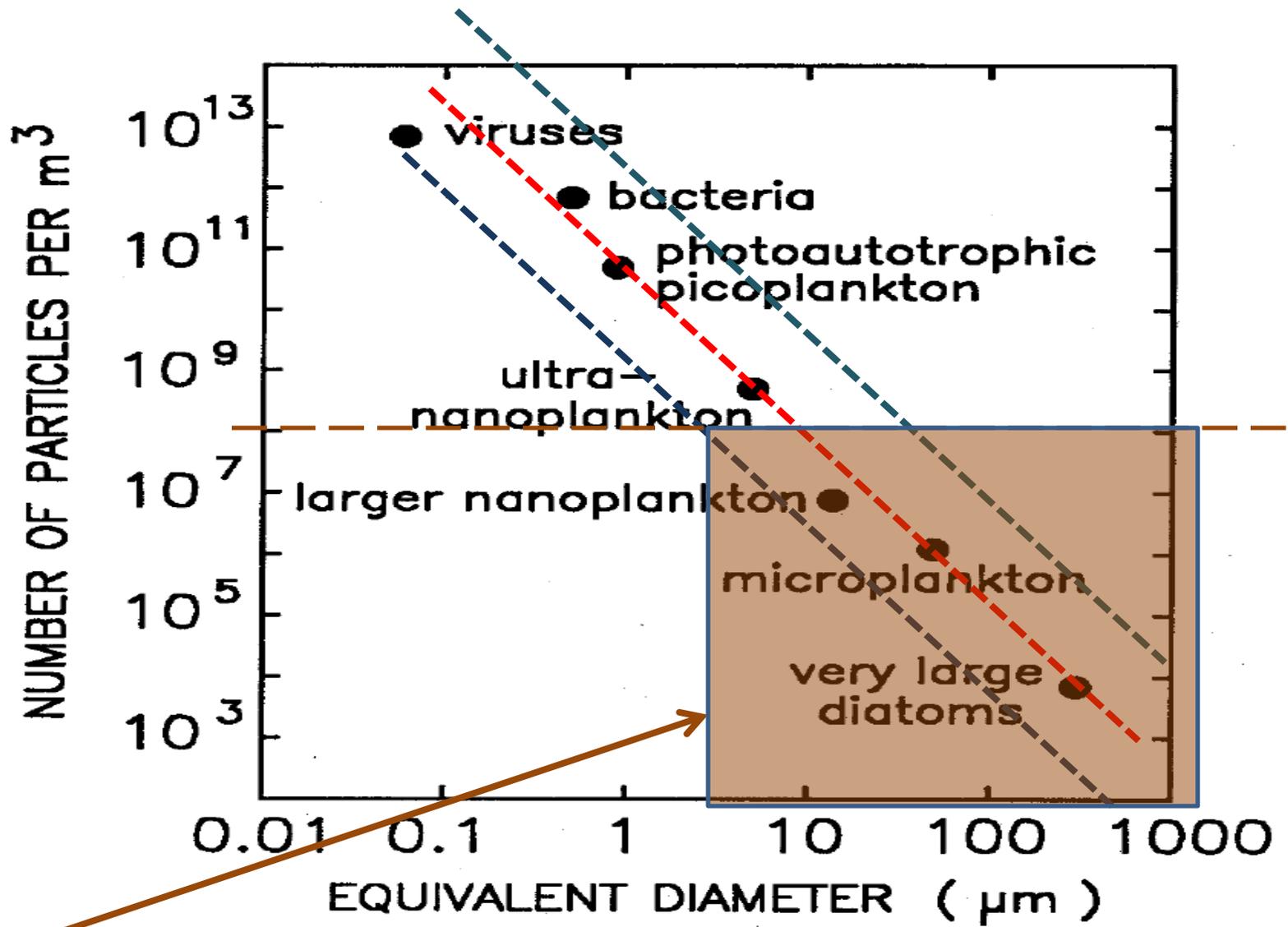


“bulk” property?



>100 particles will be sampled by the 10<sup>-6</sup> m<sup>3</sup> sample volume

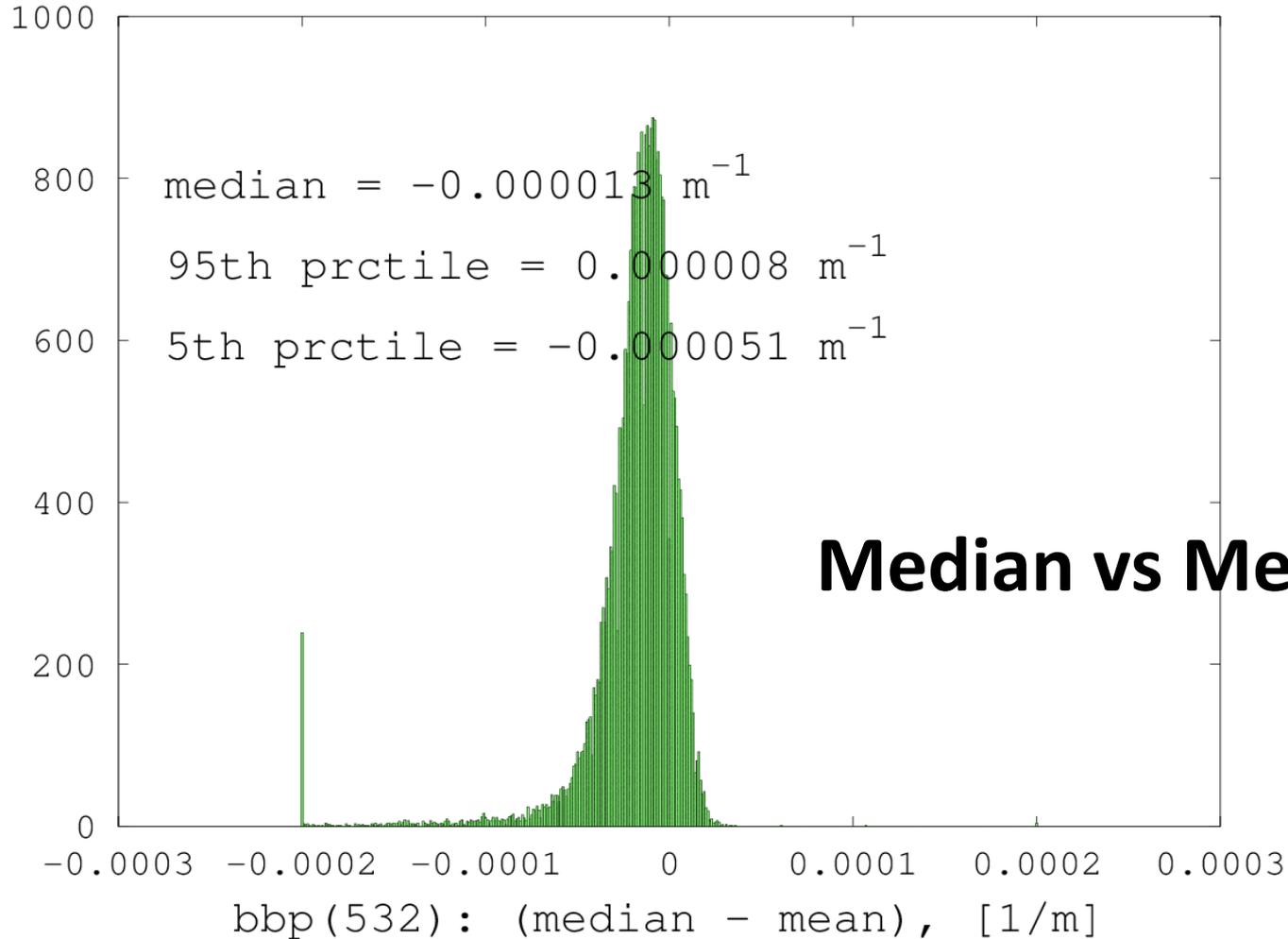
(Stramki and Kiefer 1991)



Particles could be under-represented (or missed) by 10<sup>-6</sup> m<sup>3</sup> volume

(Stramki and Kiefer 1991)

# Treat 1 min of measurements as “bulk”



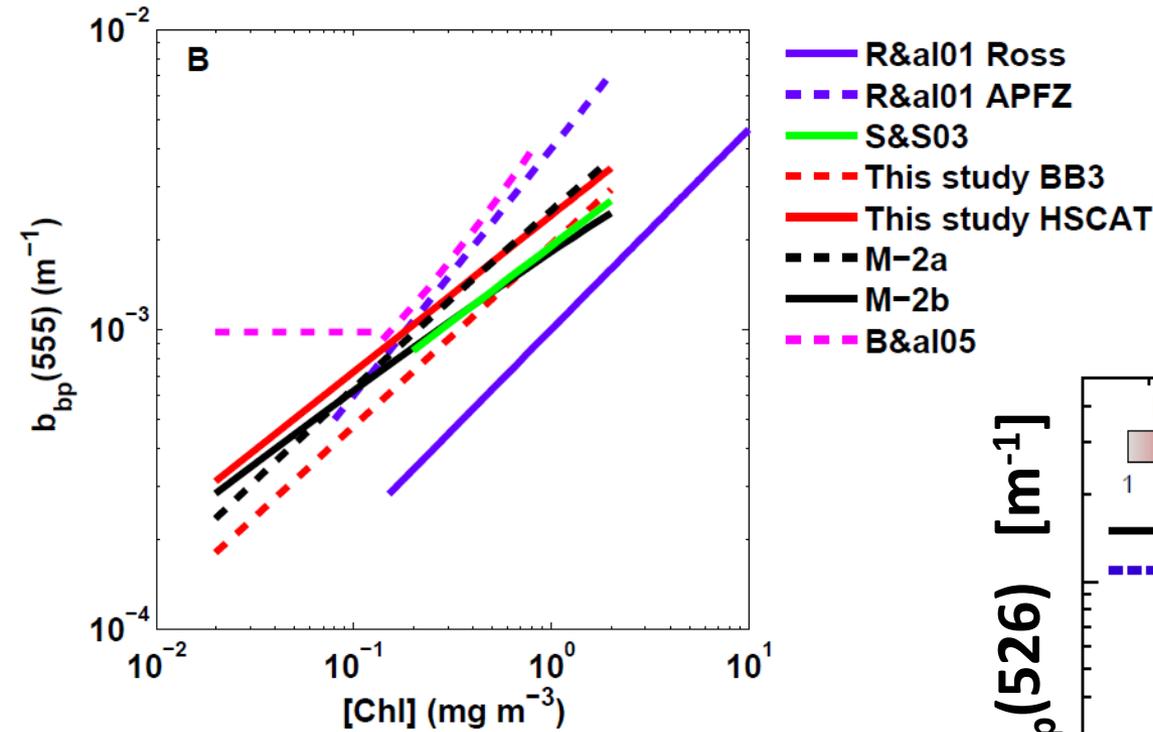
## Median vs Mean

(Dall’Olmo and Brewin)



Sample volume seems not a big issue, *if* averaged/handled properly.

# 3. Measurement uncertainty?



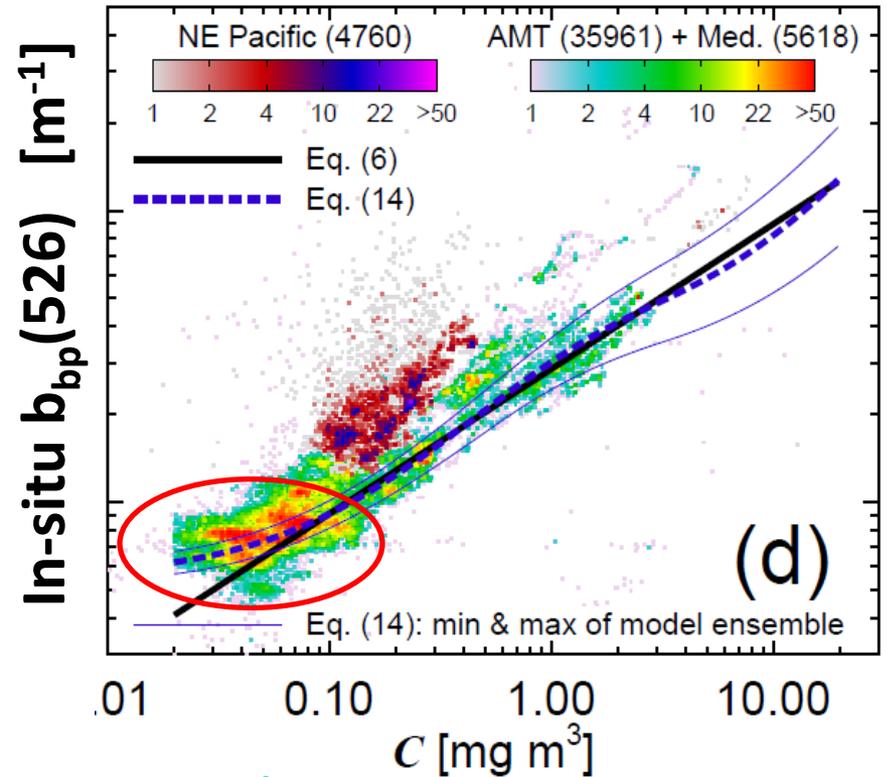
(Huot et al 2008)

For  $Chl = 0.1\ mg/m^3$

$b_{bp}(555)$ :

BB3:  $\sim 0.0004\ m^{-1}$

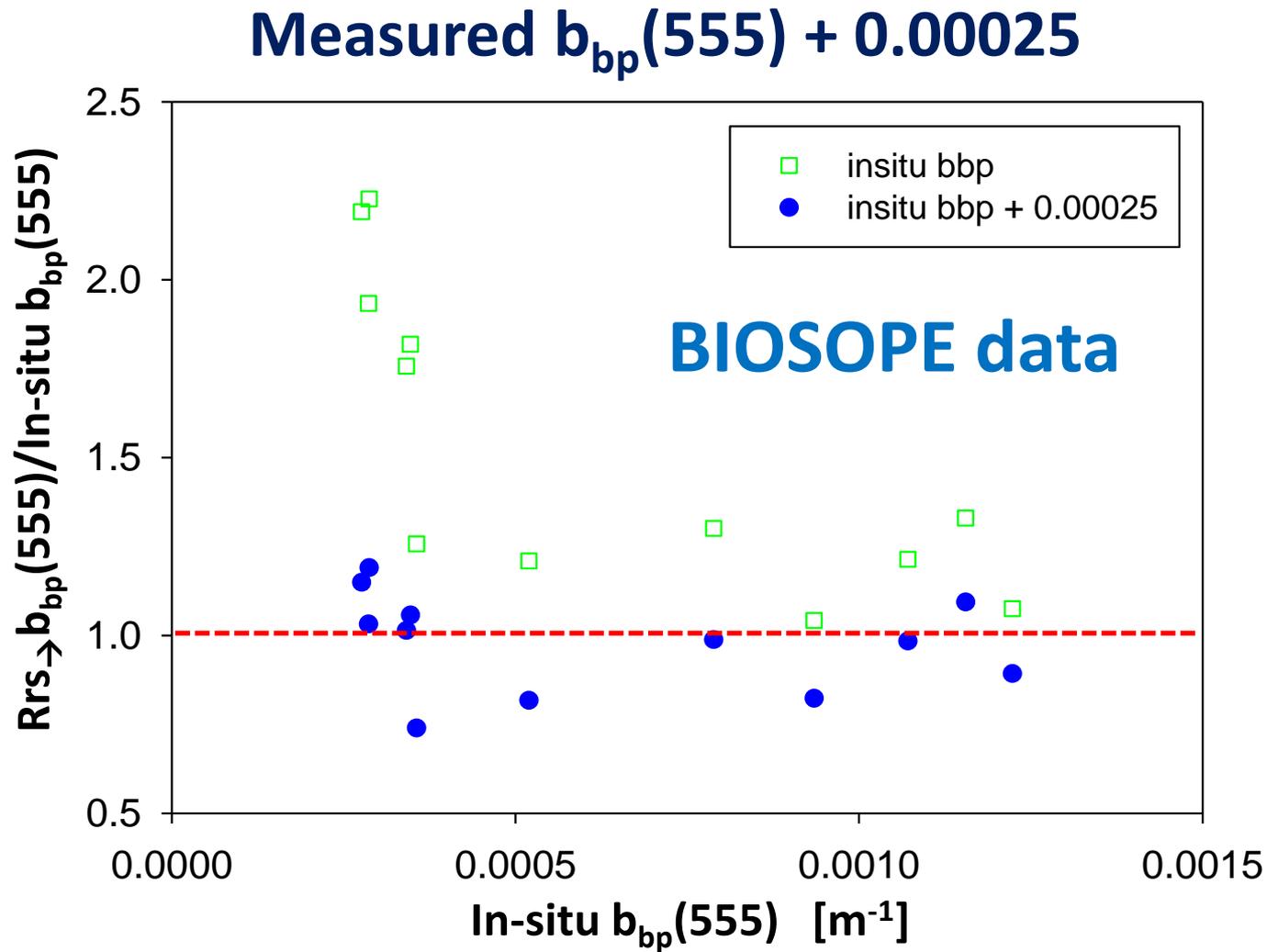
HSCAT:  $\sim 0.0007\ m^{-1}$



$\sim 0.0007\ m^{-1}$

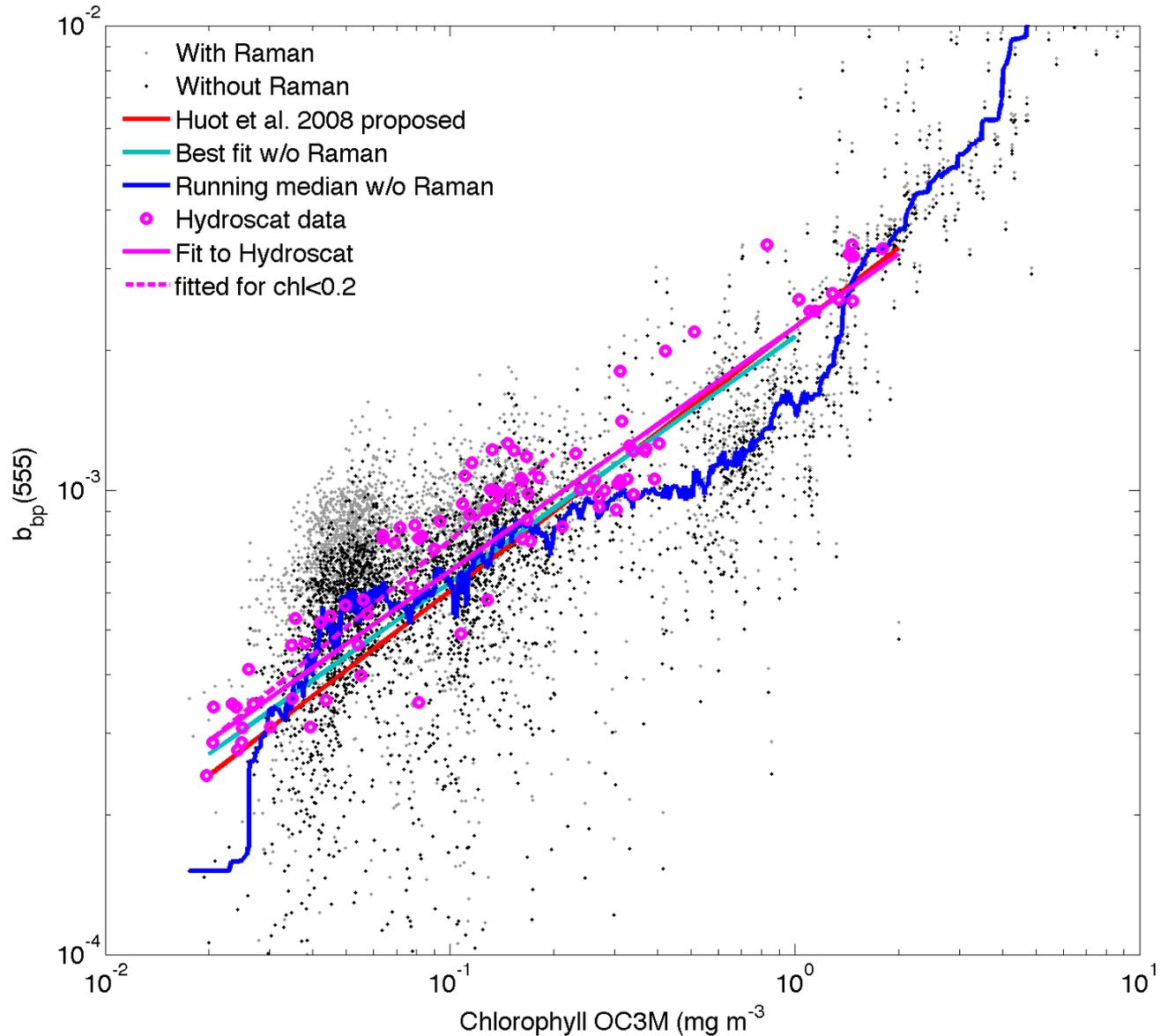
(Brewin et al 2012)

If indeed insitu sensor missed (under-measured)  $b_{bp}$



➔ Much better closure for oligotrophic waters!

# Updated comparison



# Summary:

1. For oligotrophic ocean,  $b_{bp}$  (55x) can be retrieved very well from Rrs. Important to correct Raman effect.

2. We still have a (small) gap between inversion and insitu, though.

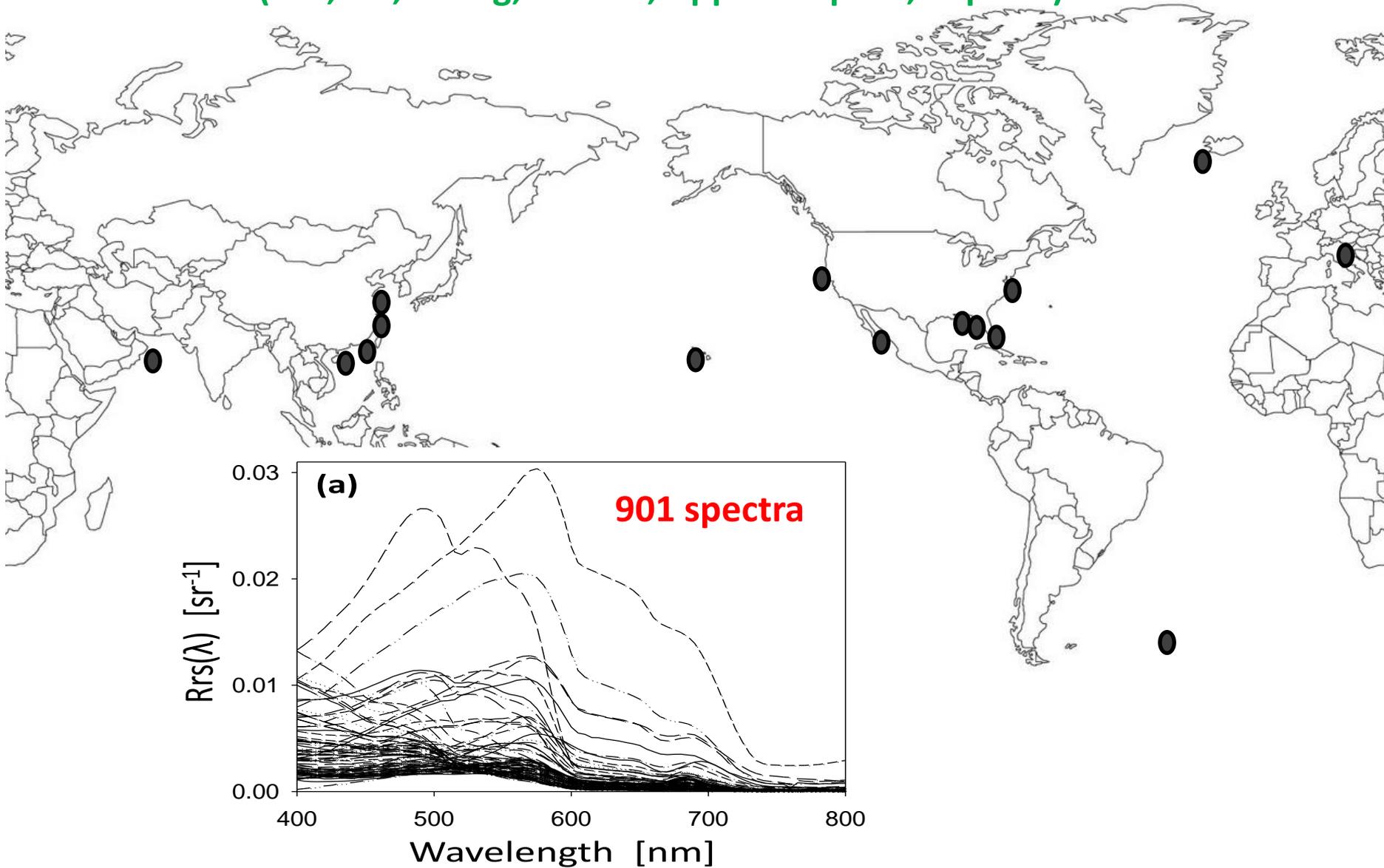
- Representation of “bulk” product
- Extremely low signal

Insitu sensor calibration and data handling

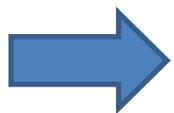
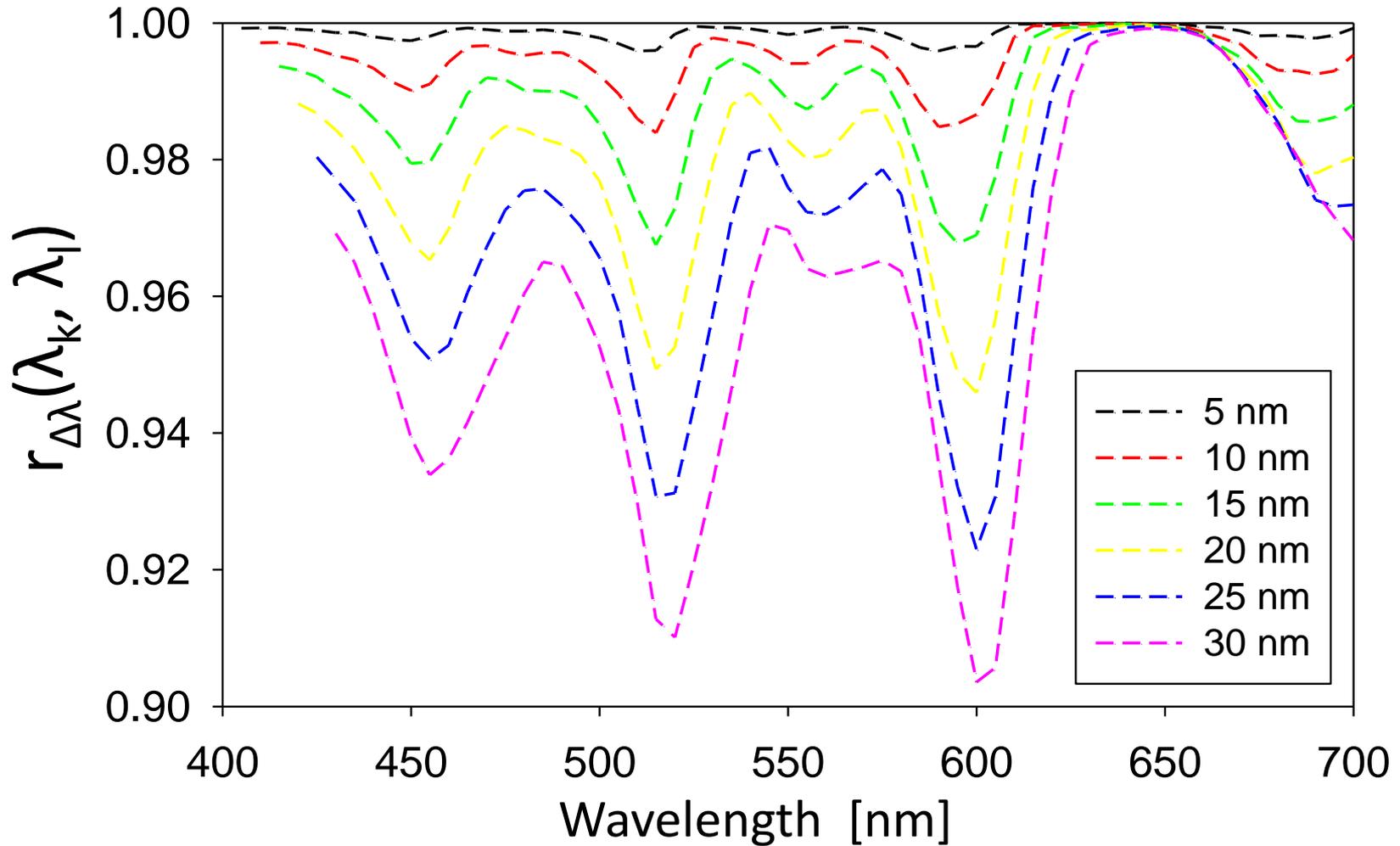
3. If ignoring the  $\sim 0.0003 \text{ m}^{-1}$  bias, “excellent” closure is indeed achieved between inverted and insitu  $b_{bp}$  (55x).

# Something about spectral resolution

(Lee, Hu, Shang, Zibordi, Applied Optics, in press)

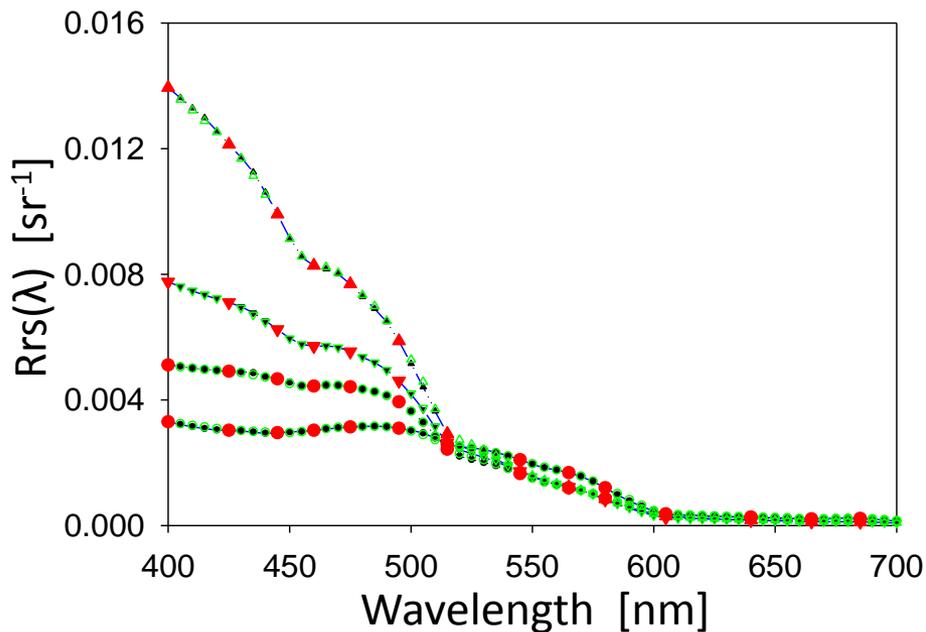


# Correlation coefficient between neighboring bands, for 6 different gaps

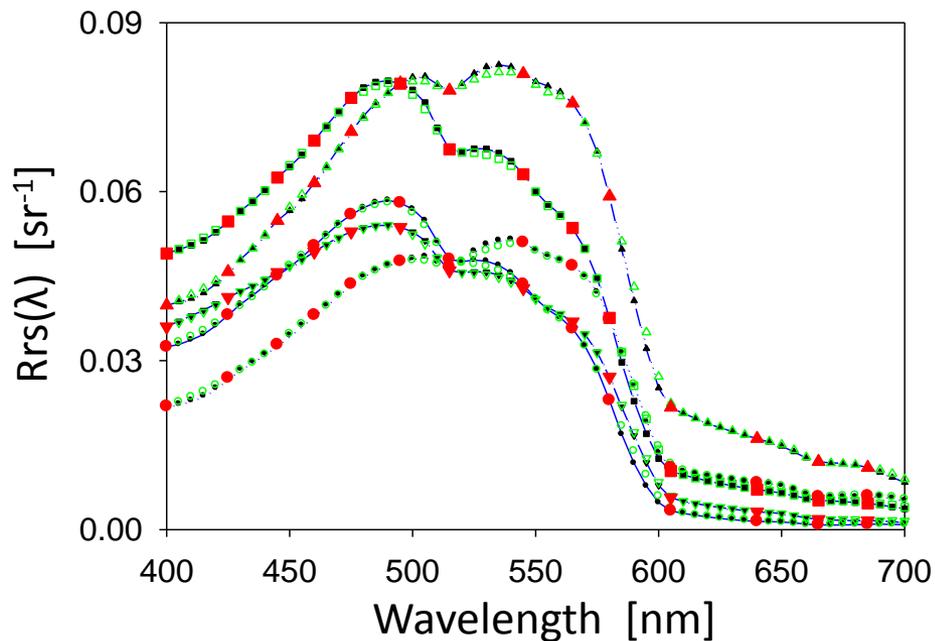


**Rrs is highly correlated between neighboring bands**

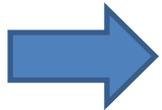
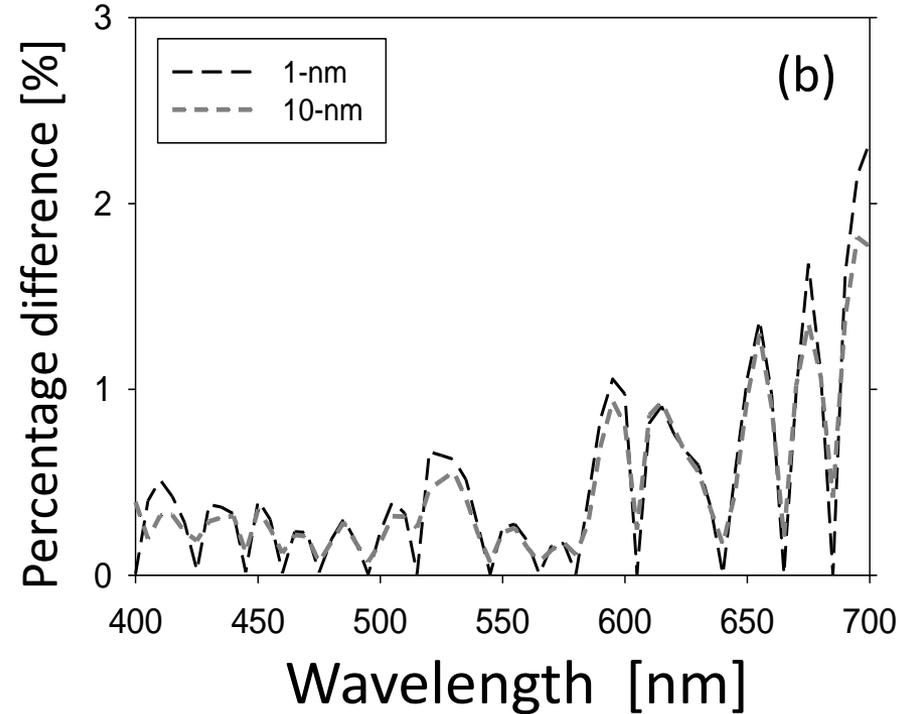
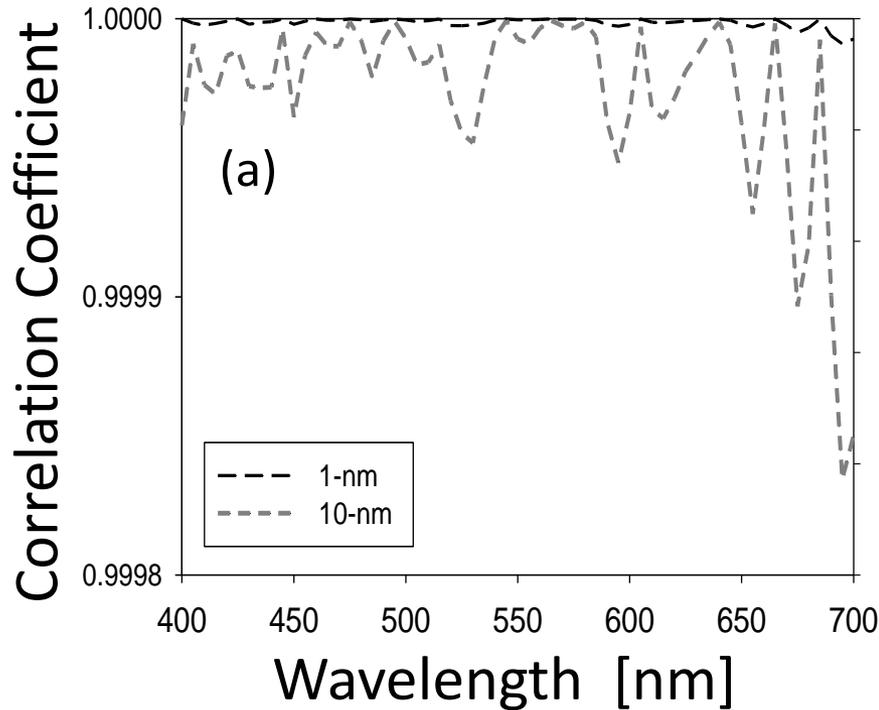
# Re-constructed vs measured spectral Rrs



$$R_{rs}^{rc}(\lambda_j) = \sum_{i=1}^{15} K_{ij} R_{rs}(\lambda_i)$$



# Characteristics between measured and re-constructed spectral Rrs



**Hyperspectral (contiguous, 5-nm resolution) Rrs can be reconstructed from 15-band Rrs with negligible error.**

**Thank you!**